 Module 1: Solving Equations and Inequalities 20 days Solving equations Simple Multi-step Variables on both sides 	A-CED.1 Create equations and inequalities in one variable and use them to solve problems. Include equations arising from linear and quadratic functions, and and exponential functions.
 Solve interal equations Especially those that solve for y Solve absolute value equations Solve multi-step inequalities (KCS Mod 3) Solve compound inequalities (KCS Mod 3) Solve absolute value inequalities (KCS Mod 3) 	A-CED.3 Represent constraints by equations or inequalities, and by systems of equations and/or inequalities, and interpret solutions as viable or non- viable options in a modeling context. For example, represent inequalities describing nutritional and cost constraints on combinations of different foods.
	A-CED.4 Rearrange formulas to highlight a quantity of interest, using the same reasoning as in solving equations. <i>For example, rearrange Ohm's law V=IR to highlight resistance R.</i>
	ACT Course Standards
	-Solve formulas for a specified variable
	A-REI.A.1 Explain each step in solving a simple equation as following from the equality of numbers asserted at the previous step, starting from the assumption that the original equation has a solution. Construct a viable argument to justify a solution method.
	A-REI.B.3 Solve linear equations and inequalities in one

variable, including equations with coefficients represented by letters.
ACT Course Standard
-Use rational numbers to demonstrate knowledge of additive and multiplicative inverses -Simplify Ratios - Apply Algebraic Properties (e.g. commutative, associative, distributive, identity, inverse, substitution) to simplify algebraic expressionsSolve single-step and multistep equations and inequalities in one variable - Graph linear inequalities in one variable on the real number line to solve problems
N-Q.1. Use units as a way to understand problems and to guide the solution of multi- step problems; choose and interpret units consistently in formulas; choose and interpret the scale and the origin in graphs and data displays.)
N-RN.3 Explain why the sum or product of two rational numbers is rational; that the sum of a rational number and an irrational number is irrational; and that the product of a nonzero rational number and an irrational number is

	irrational.
 Module 2: Linear Equations and Inequalities 17 days Graphing linear equations Slope From graph, table, ordered pairs Slope-intercept form Standard form Write equations in slope-intercept form Point-slope form Line of best fit Compare two linear functions Graph linear inequalities (KCS Mod 3) 	A-REI.D.10 Understand that the graph of an equation in two variables is the set of all its solutions plotted in the coordinate plane, often forming a curve (which could be a line). A-REI.D.11 Explain why the x-coordinates of the points where the graphs of the equations $y = f(x)$ and $y = g(x)$ are the solutions of the equation $f(x) = g(x)$; find the solutions approximately, e.g., using technology to graph the functions, make tables of values, or find successive approximations. Include cases where $f(x)$ and/or $g(x)$ are linear, polynomial, rational, absolute value, exponential, and logarithmic functions.
	ACT Course Standard -Add, subtract, multiply, and divide rational numbers, including integers, fractions, and decimals, without calculators -Translate real-world problems into

expressions using variables to represent values A-CED.2 Create equations in two or more variables to represent relationships between quantities; graph equations on coordinate axes with labels and scales. * **F-IF.B.4** For a function that models a relationship between two quantities, interpret key features of graphs and tables in terms of the quantities, and sketch graphs showing key features given a verbal description of the relationship. Key features include: intercepts; intervals where the function is increasing, decreasing, positive, or negative; relative maximums and minimums; symmetries; end behavior, and periodicity. \star F-IF.C.9 Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). For example, given a graph of one quadratic function and an algebraic expression for

	another, say which has the larger maximum.
 Module 3: Linear Functions (KCS Module 5) 15 days Determine if relation is a function Mapping Vertical line test Function notation Write a function rule from: table, pattern, arithmetic sequence, functional values, Compare two functions Arithmetic sequences Linear vs nonlinear Piecewise Functions and functional values 	F-IF.A.1 Understand that a function from one set (called the domain) to another set (called the range) assigns to each element of the domain exactly one element of the range. If f is a function and x is an element of its domain, then $f(x)$ denotes the output of f corresponding to the input x. The graph of f is the graph of the equation $y = f(x)$ F-IF.A.2 Use function notation, evaluate functions for inputs in their domains, and interpret statements that use function notation in terms of context. F-IF.B.5 Relate the domain of a function to its graph and, where applicable to the

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quantitative relationship that it describes. For example, if the function $h(n)$ gives the number of person hours it takes to assemble n engines in the factory, then the positive integers would be an appropriate domain of the function.
F-IF.A.3 Recognize that sequences are functions, sometimes defined recursively, whose domain is a subset of the integers. <i>For example, the Fibonacci sequence is defined recursively by</i> $f(0) = f(1) = 1$, $f(n + 1) = f(n) + f(n - 1)$ for $n \ge 1$
ACT Course Standards
-Evaluate functions at given values
F-IF.C.7 Graph functions expressed symbolically and show key features of the graph, by hand in simple cases and using technology for more complicated cases $\star \star$.
b. Graph square root, cube root and piecewise-defined functions, including step

functions and absolute value functions.
ACT Course Standards
-Give the domain and range of relations and functions - Identify graphs of relations and functions and analyze them to determine whether a relation is a function (e.g., vertical line test) -Translate between different representations of relations and functions: graphs, equations, sets of ordered pairs, verbal descriptions, and tables -Identify arithmetic sequences and patterns in a set of data -Identify patterns of growth (e.g., patterns of exponential growth) in a set of data
F-BF.A.1a Determine an explicit expression, a recursive process, or steps for calculation from a context. $\star \star$
A-SSE.A.1 Interpret expressions that represent a quantity in terms of its context $\star \star^*$. a. Interpret parts of an expression, such as terms, factors, and

	coefficients.
Module 5: Exponential Equations and Functions (KCS	
Module 6) 17 days	
• Rules of exponents	
Scientific notation	
• Graphing	
Geometric sequences	
• Regression	
Module 6: Polynomial Equations and Factoring (KCS	
Module 7) 16 days	
 Operations with polynomials 	
Special products	
 Solve polynomial equations in factored form 	
Zero product property	
• Factor and solve	
Module 7: Graphing and Solving Quadratic Functions	
(KCS Module 8) 17 days	
Graph quadratics	
• Standard form	
• vertex form	
Solving quadratics	
• Graphing	
• Square roots	
• Completing the square	
 Geometric sequences Regression Module 6: Polynomial Equations and Factoring (KCS Module 7) 16 days Operations with polynomials Special products Solve polynomial equations in factored form Zero product property Factor and solve Module 7: Graphing and Solving Quadratic Functions (KCS Module 8) 17 days Graph quadratics Standard form Vertex form Solving quadratics Graphing Square roots Factoring Completing the square 	

 Quadratic formula Compare linear, exponential, and quadratic functions Use completing the square to convert between standard and vertex form Analyze the discriminant 	
Mini Unit– (Part of KCS Module 5) 3 days	
Graph special functions	
• Absolute value (pay particular attention to	
transformations)	
o Step	
Module 4: Systems of Equations (KCS Module 4) 14	
days	
Solve systems	
• Graphically	
• Substitution	
• Elimination	
Graph system of inequalities	
Gruph system of mequanties	
Module 10: Probability and Statistics (KCS Module 11)	
11 days	

Module 9: Rational Equations and Functions (KCS	
Module 10) 12 days	
 Simplify rational expressions 	
 Multiply/divide rational expressions 	
Graph rational functions	
 Solve rational equations (proportions) 	
 Module 8: Square Root Functions and Geometry (KCS Module 9) 13 days Simplify radicals Add, subtract, multiply radicals Pythagorean theorem Distance and midpoint Graph radical functions 	